

First 2009
VIVA 7

This information is from a patient with a pulmonary embolism
 FIO₂ 0.5 PaO₂ 100mmHg PaCO₂ 20mmHg
 Calculate the A-a gradient.

Calculate the aA gradient

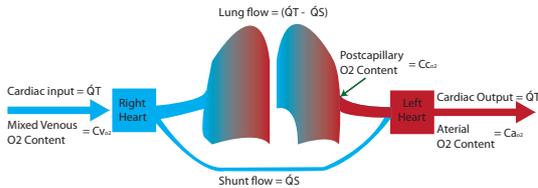
Why does this occur with PEs?

Can you derive the shunt equation and what does it measure?

Can you derive bohr's equation and what does it measure?

RILEYS THREE COMPARTMENT MODEL	V/Q RATIOS	MEASUREMENT	ALVEOLAR AIR	CONSEQUENCE	TREATMENT
DEAD SPACE 	∞	Dead Space → Bohr equation $P_{ECO_2}(TV) = PaCO_2(TV - \text{Dead Space})$	Alveolar air approaches inspired air concentrations (no exchange wasted air) P _{O₂} = 149 CO ₂ = 0	Decreased perfusion leads wasted ventilation therefore decreased minute alveolar ventilation & primarily to increased blood CO ₂	Increased tidal volumes will reduce the effect of dead space (note that Alveolar Vent = TV - PDS)
IDEAL ALVEOLUS 	3.3	V/Q Mismatch → Using the multiple inert gas elimination technique (MIDGET) or nuclear med studies Alveolar air equation $PAO_2 = FIO_2(P_{atm} - PH_2O) - PaCO_2/RQ$	Alveolar air equals concentration of postcap blood due to ideal exchange P _{O₂} = 104 CO ₂ = 40	V/Q scatter leads to decreased PaO ₂ because a majority of mismatch flow is at ratios < 1 and a small drop is accentuated by the point on the Hb dissociation curve	Increased FiO ₂ will improve oxygenation unless the V/Q ratio is 0 (true shunt). High FiO ₂ will remove the V/Q scatter effect.
TRUE SHUNT 	0	Shunt equation (Venous admixture) $QT(\text{Art O}_2 \text{ cont}) = QS(\text{precap O}_2 \text{ cont}) + (\text{postcap O}_2 \text{ cont})(QT - QS)$	Alveolar air approaches mixed venous concentrations (no exchange wasted blood) P _{O₂} = 40 CO ₂ = 46	Shunt leads to both ↑CO ₂ and ↓O ₂ but the decrease in PO ₂ is more pronounced because it is on the flat of the dissociation curve and the CO ₂ dissociation is near linear	Improved recruitment may work unless the shunt is extra-pulmonary. ↑FiO ₂ is decreasingly effective in true shunts > 30%

The shunt equation is based on the assumption that the total oxygen carried by the arterial blood may be calculated by adding the oxygen contents of the blood that passes the lungs and the shunted blood. Assuming ideal gas exchange (to calculate Postcap O₂ content) it is possible to create this in an equation as follows:



$$\text{Cardiac Output} \times \text{Aterial O}_2 \text{ Content} = \text{Lung Flow} \times \text{Postcap O}_2 \text{ Content} + \text{Shunt Flow} \times \text{Mixed Venous O}_2 \text{ Content}$$

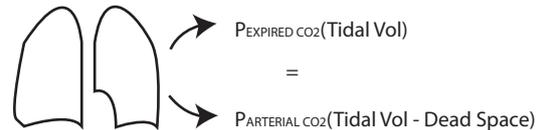
Using the abbreviations shown in the diagram this becomes;

$$QT \times Ca_{O_2} = (QS \times Cv_{O_2}) + (QT - QS)C_{cO_2} \quad \text{rearranged gives the shunt equation; } \frac{QS}{QT} = \frac{C_{cO_2} - Ca_{O_2}}{C_{cO_2} - Cv_{O_2}}$$

The Bohr equation is based on the assumption that CO₂ exchange is ideal (alveolar and post capillary values are equal) therefore any difference in the expired and arterial CO₂ is due to dead space.

$$P_{ECO_2}(VT) = P_{ACO_2}(VT - VD) \quad \text{it is commonly rearranged to}$$

$$\frac{VD}{VT} = \frac{P_{ECO_2} \cdot P_{ACO_2}}{P_{ACO_2}}$$



The alveolar equation calculates the ideal alveolar PAO₂. It can then be used to assess the Alveolar-arterial gradient of O₂. It is never equal due to V/Q mismatching. The normal value in a 20 year old patient is around 7, but this increases gradually with age, an 70 year old patient having a normal A-a gradient of 17 (the formula is 2.5 + age x 0.21). The alveolar equation needs to account for water vapour and air pressure and is therefore represented by the following equation:

$$PAO_2 = (FIO_2 \times [P_{atm} - PH_2O]) - (PaCO_2 \div R)$$

R is usually 0.8
 Patm is 760 at sea level
 PH₂O is 47 at body temp

$$\text{the A-a gradient} = PAO_2 - PaO_2$$