

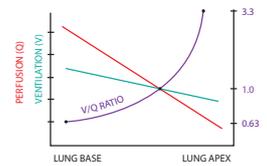
VENTILATION - PERFUSION RELATIONSHIPS

RILEY'S THREE COMPARTMENT MODEL	V/Q RATIOS	MEASUREMENT	ALVEOLAR AIR	CONSEQUENCE	TREATMENT
DEAD SPACE 	∞	Dead Space → Bohr equation $P_{ECO_2}(TV) = P_aCO_2(TV - \text{Dead Space})$	Alveolar air approaches inspired air concentrations (no exchange wasted air) $P_{O_2} = 149 \quad CO_2 = 0$	Decreased perfusion leads to wasted ventilation therefore decreased minute alveolar ventilation & primarily to increased blood CO_2	Increased tidal volumes will reduce the effect of dead space (note that Alveolar Vent = TV - PDS)
IDEAL ALVEOLUS 	3.3	V/Q Mismatch → Using the multiple inert gas elimination technique (MIDGET) or nuclear med studies Alveolar air equation $P_{AO_2} = F_{iO_2}(P_{atm} - P_{H_2O}) - P_aCO_2/RQ$	Alveolar air equals concentration of postcap blood due to ideal exchange $P_{O_2} = 104 \quad CO_2 = 40$	V/Q scatter leads to decreased PaO_2 because a majority of mismatch flow is at ratios < 1 and a small drop is accentuated by the point on the Hb dissociation curve	Increased FiO_2 will improve oxygenation unless the V/Q ratio is 0 (true shunt). High FiO_2 will remove the V/Q scatter effect.
TRUE SHUNT 	0	Shunt equation (Venous admixture) $QT(\text{Art O}_2 \text{ cont}) = QS(\text{precap O}_2 \text{ cont}) + (\text{postcap O}_2 \text{ cont})(QT - QS)$	Alveolar air approaches mixed venous concentrations (no exchange wasted blood) $P_{O_2} = 40 \quad CO_2 = 46$	Shunt leads to both ↑ CO_2 and ↓ O_2 but the decrease in PO_2 is more pronounced because it is on the flat of the dissociation curve and the CO_2 dissociation is near linear	Improved recruitment may work unless the shunt is extra-pulmonary. ↑ FiO_2 is decreasingly effective in true shunts > 30%

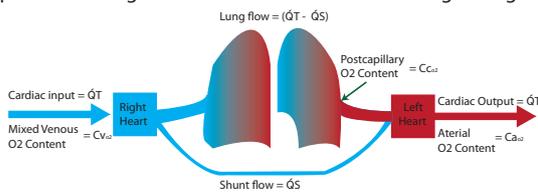
Ventilation refresher - the regional distribution of ventilation is dependent on **two main processes and one minor**. The **first is the most important** and is the effect of **gravity**. As the lung has weight, the lower parts of the lung are generally more compressed and less inflated than the upper part of the lungs which leads to the **more dependent parts of the lung having greater compliance** (compliance = $\Delta \text{volume} / \Delta \text{pressure}$) **thus they generally receive greater ventilation**. In the upright position, with slow VC inspirations the uppermost slices of the lung have ventilation at around one third of the slices at the bases. When there is slow inspiration from FRC there is a smaller but still significant gradient of 1.5 : 1. In horizontal positions this gradient is significantly reduced. The **second regional variation** is due to the **different time constants of alveoli**. The time constant is dependent on the compliance of the alveoli unit and the resistance of the tube supplying it. If the time constants for two units is equal then they will fill and empty at the same rate. The ultimate volume will be dependent only on regional compliances. If however the constants are not equal some units will fill and empty quicker, if inspiration is long enough then all units will eventually fill and again final volume will be dependent on compliance only. Therefore the inspiratory duration (and thus RR) will cause regional variation of ventilation if it is not prolonged. In patients with the **commoner forms of lung disease there is usually different time constants and sequential filling and emptying of lung units leading to ventilation variation**. The **last cause** of regional variation in ventilation is the **anatomy of the conducting airways** which have been observed to increase ventilation to central lung units.

Perfusion refresher - because pulmonary circulation operates at low pressures, it is particularly influenced by the **force of gravity**. This has previously covered in reference to **West's zones of the lung and the waterfall analogy**. A **fourth zone** is sometimes described where the weight of the lung reduces flow due to interstitial forces at the very based of the lung. The other factor which causes variation is due to the vascular anatomy and the pattern of branching which mathematical models show contribute significantly to the heterogeneity of flow.

Ventilation/Perfusion Ratio (V/Q) - Whilst the blood flow and ventilation to the lungs is roughly equal each usually between 4-5 litres, in different parts of the lung they are **not necessarily equally matched**. The effect of **gravity** which is the most important factor for both V and Q is **more significant in terms of perfusion**. This leads to a **scatter of V/Q ratios** which is exacerbated in older subjects even in the absence of lung disease. V/Q ratios at the apex of the lungs (where ventilation is relatively greater than perfusion) has values of 3.3, at the base (where perfusion dominates) is 0.6 in normal subjects. In pathological states alveolus may receive **no perfusion and thus forms part of the physiological dead space**. Examples of this include a pulmonary embolism, or a sudden decrease in cardiac output resulting in decreased perfusion to the apices. The V/Q ratio will approach infinity. If the alveolus receives **no ventilation** it represents a form of **true shunt and the V/Q ratio will be 0**. Compensatory mechanisms for V/Q scatter include hypoxic pulmonary vasoconstriction discussed previously.



The shunt equation is based on the assumption that the total oxygen carried by the arterial blood may be calculated by adding the oxygen contents of the blood that passes the lungs and the shunted blood. Assuming ideal gas exchange (to calculate Postcap O_2 content) it is possible to create this in an equation as follows:



$$\text{Cardiac Output} \times \text{Arterial } O_2 \text{ Content} = \text{Lung Flow} \times \text{Postcap } O_2 \text{ Content} + \text{Shunt Flow} \times \text{Mixed Venous } O_2 \text{ Content}$$

Using the abbreviations shown in the diagram this becomes;

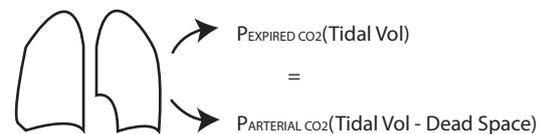
$$QT \times Ca_{O_2} = (QS \times Cv_{O_2}) + (QT - QS)C_{cO_2} \quad \text{rearranged gives the shunt equation;}$$

$$\frac{QS}{QT} = \frac{C_{cO_2} - Ca_{O_2}}{C_{cO_2} - Cv_{O_2}}$$

The Bohr equation is based on the assumption that CO_2 exchange is ideal (alveolar and post capillary values are equal) therefore any difference in the expired and arterial CO_2 is due to dead space.

$$P_{ECO_2}(VT) = P_aCO_2(VT - VD) \quad \text{it is commonly rearranged to}$$

$$\frac{VD}{VT} = \frac{P_{ECO_2} - P_aCO_2}{P_aCO_2}$$



The alveolar equation calculates the ideal alveolar PAO_2 . It can then be used to assess the Alveolar-arterial gradient of O_2 . It is never equal due to V/Q mismatching. The normal value in a 20 year old patient is around 7, but this increases gradually with age, an 70 year old patient having a normal A-a gradient of 17 (the formula is $2.5 + \text{age} \times 0.21$). The alveolar equation needs to account for water vapour and air pressure and is therefore represented by the following equation:

$$PAO_2 = (F_{iO_2} \times [P_{atm} - P_{H_2O}]) - (P_aCO_2 \div R)$$

R is usually 0.8
 P_{atm} is 760 at sea level
 P_{H_2O} is 47 at body temp

$$\text{the A-a gradient} = PAO_2 - PaO_2$$

Measurement of V/Q mismatch is problematic. The shunt equation measures **venous admixture** which is the amount of venous blood that is needed to add to the arterial blood to compensate for the difference between ideal and actual O_2 content of the post capillary and arterial blood. In reality it **consists of both V/Q mismatching and true shunting**. A three compartment model aggregates the mismatch component with the true shunt component. **Response to increasing FiO_2** can tease out this difference. VQ Mismatch with correct however true shunt will not, especially if the shunt is >30%. Accurate measurement of V/Q relationships is possible using **Multiple Inert Gas Elimination Techniques (MIGET)** which uses six different gases with variable solubility to measure the V/Q ratios. This method is very complicated which reduces its utility but it gives a much more accurate picture than the three compartment model.

